

Saturation height modeling: integrated application of core measurements and well logs

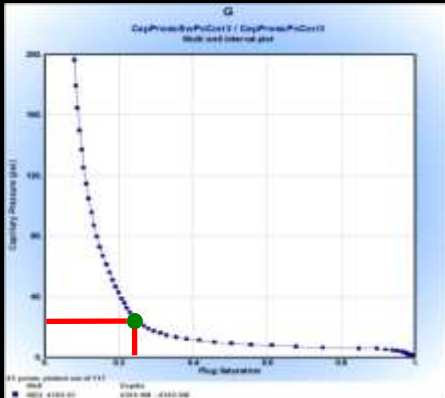
Nándor Szegedi

ISZA, Balatonföldvár, 28.03.2014.



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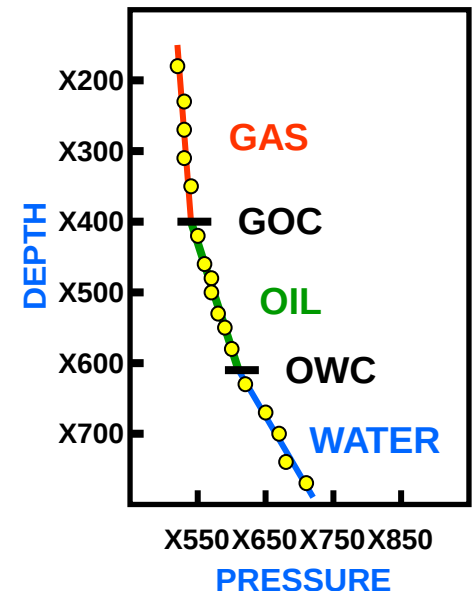
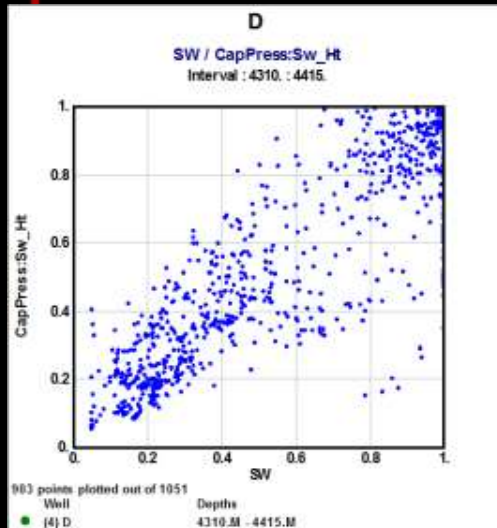
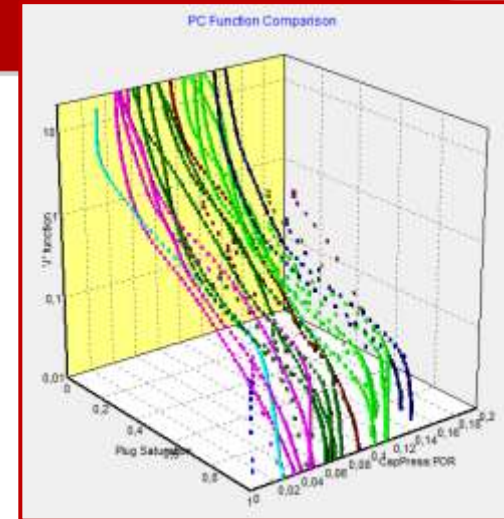
Introduction



- ❖ Integrated application of laboratory measurements and log curves leads to particular knowledge about the reservoir
- ❖ It makes possible to set universal saturation height relationships

Outline:

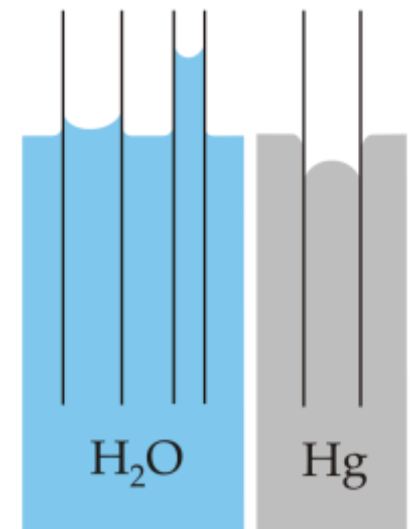
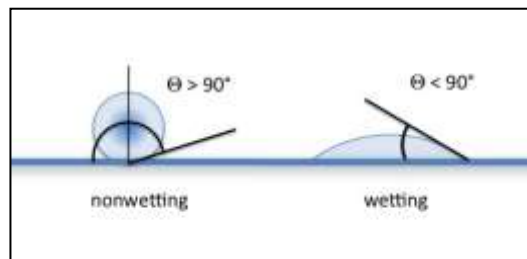
- ❖ Theory of capillary pressure measurements
- ❖ Building saturation height functions
- ❖ Case study



Capillary pressure

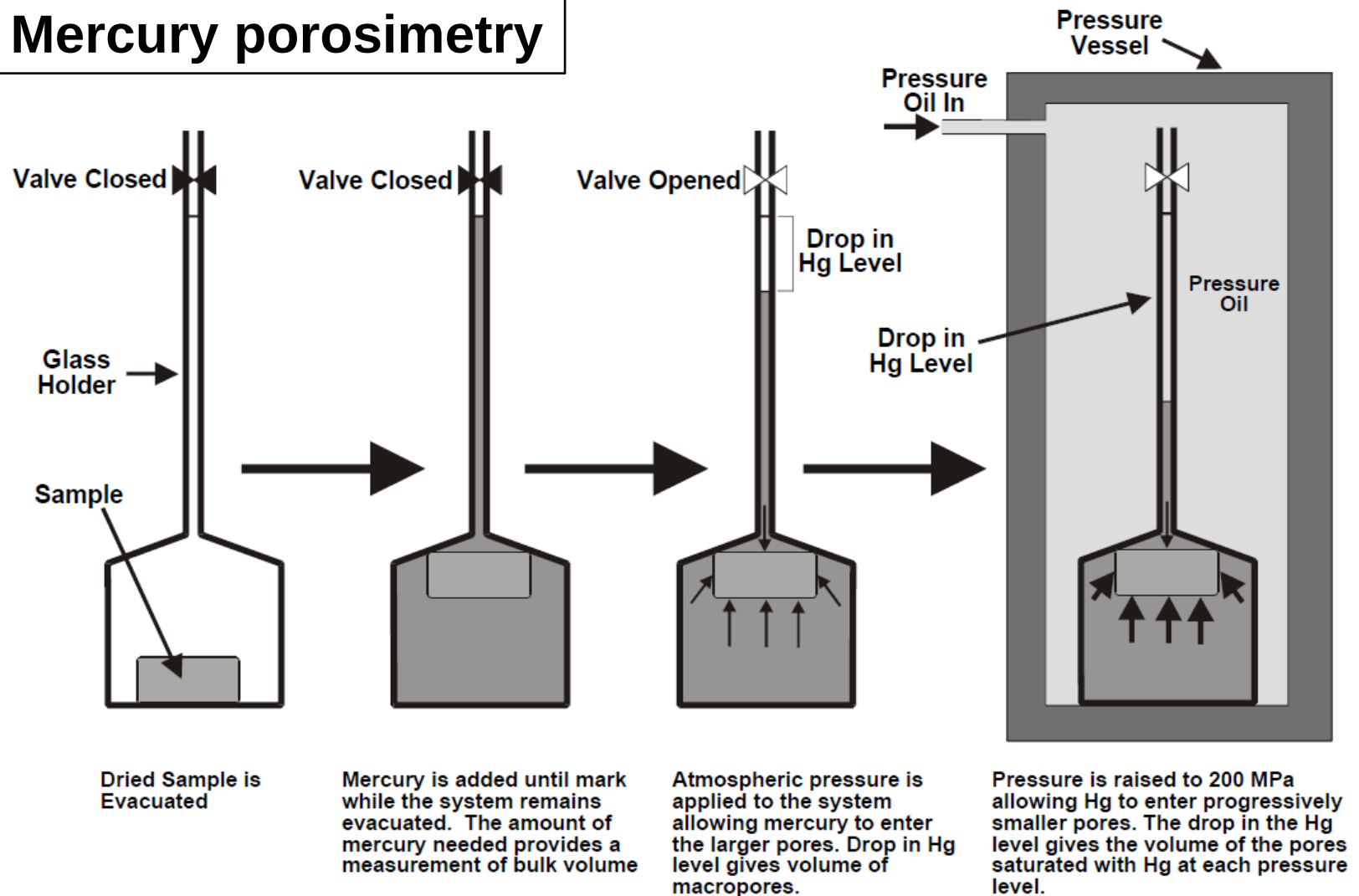
$$P_c = \frac{2\sigma \cos \theta}{r}$$

- ❖ The pore space in a rock is occupied by fluids (water-oil-gas)
- ❖ Fluid distribution in a multiphase phenomena is controlled by
 - gravity forces (buoyancy),
 - relative permeability and
 - capillary pressure
- ❖ Capillary pressure (P_c) is acting against HC migration
- ❖ It's magnitude depends on
 - surface tension (σ),
 - wettability (θ) and
 - pore throat radius (r)



Capillary pressure

Mercury porosimetry



Capillary pressure

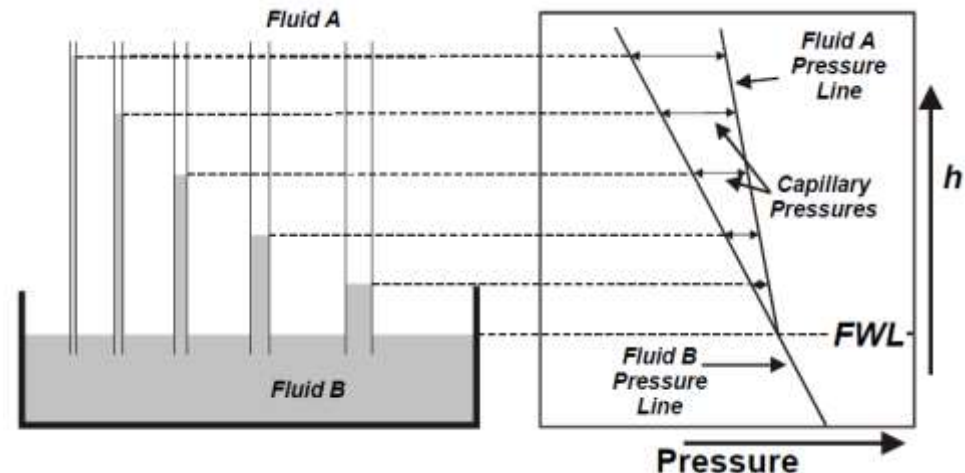
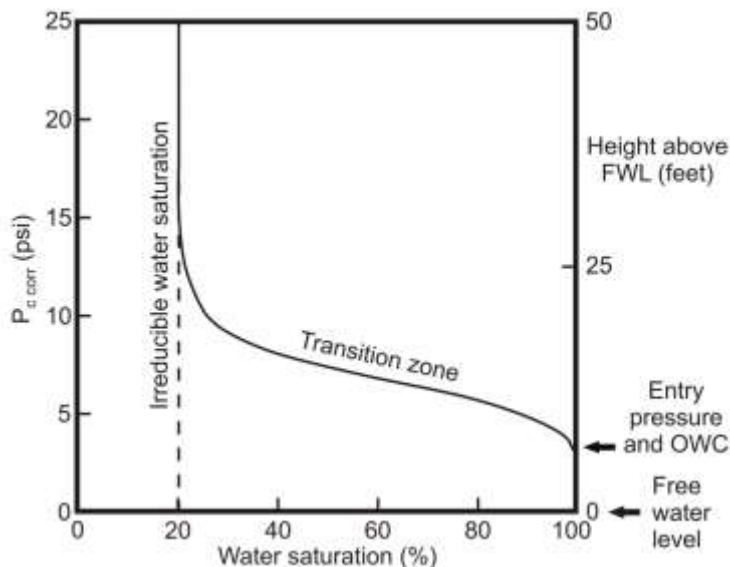
- ❖ Laboratory results are corrected to reservoir conditions
- ❖ Resultant P_c curves reflect the pore structure
 - entry pressure → largest pore openings
 - S_{wi} → smallest pores remain saturated with water
 - transition → pore size distribution (Φ , k)

$$P_{c(res)} = P_{c(lab)} \frac{(\sigma \cos \theta)_{res}}{(\sigma \cos \theta)_{lab}}$$

$$P_c = \Delta \rho g h$$

- ❖ The entry pressure defines the height of the OWC above FWL

OWC: oil water contact
FWL: free water level

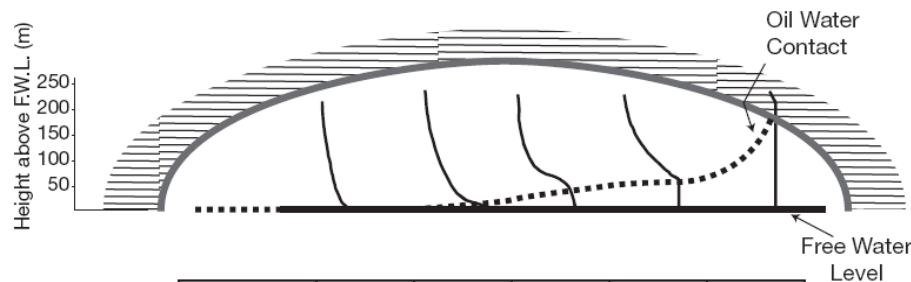


Capillary pressure

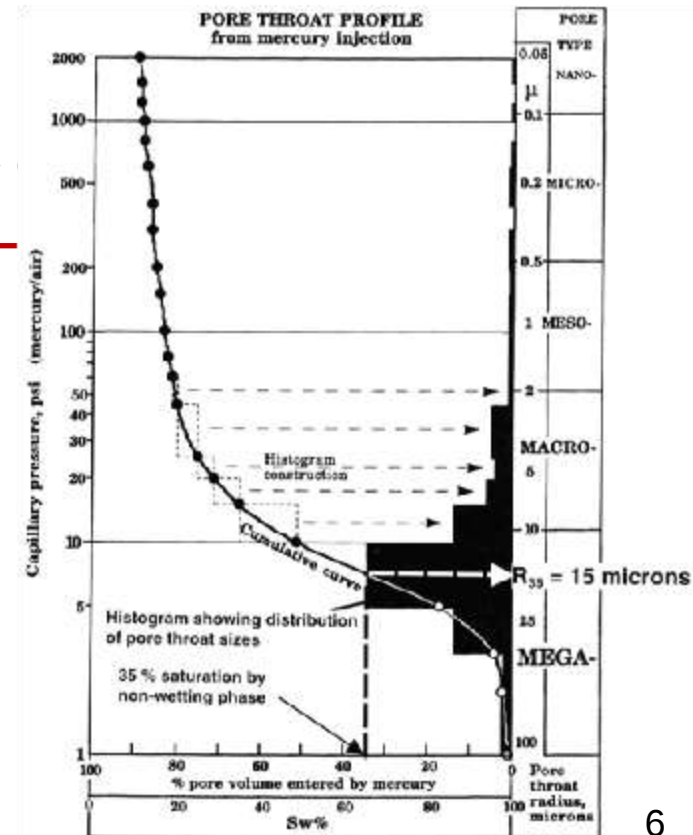
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$$P_{c(res)} = P_{c(lab)} \frac{(\sigma \cos \theta)_{res}}{(\sigma \cos \theta)_{lab}}$$

- ❖ The entry pressure defines the height of the OWC



	1	2	3	4	5
ϕ	0.33	0.23	0.22	0.15	0.10
K (mD)	300	7	1	03	0.01



Saturation height functions

- ❖ Core plugs represent only minor portions
- ❖ Through combining all capillary data the whole reservoir can be classified
- ❖ Mathematical expressions are used to evaluate S_w from height above FWL (h)

Single-predictor Algorithms

$$S_w = a \cdot h^b$$

created for many porosity ranges

Multipredictor Algorithms

$$\log(\Phi \cdot S_w) = c + d \cdot \log h + e \cdot \log \Phi$$

involves porosity/permeability

Normalized functions

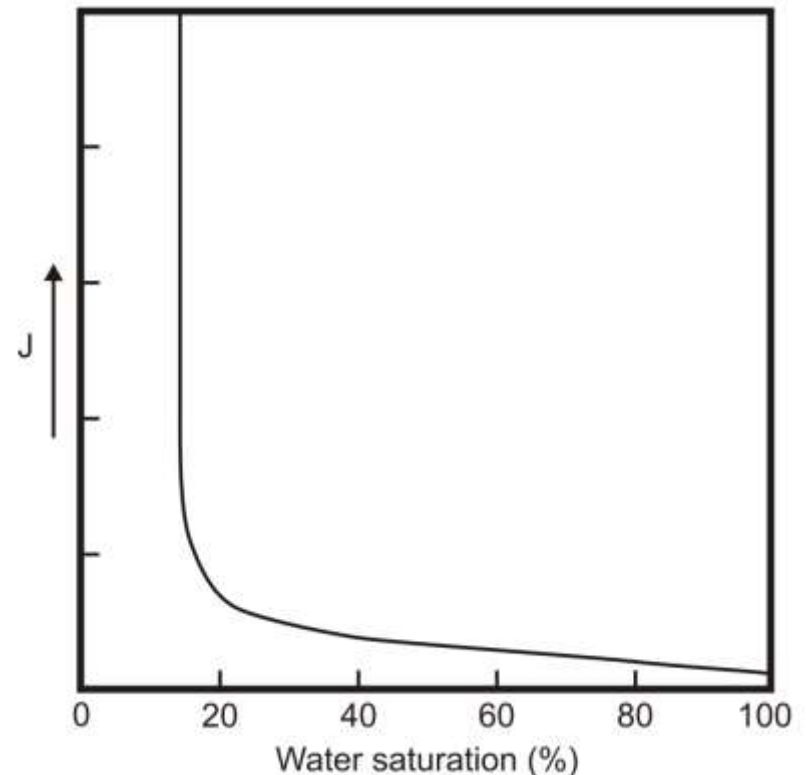
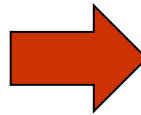
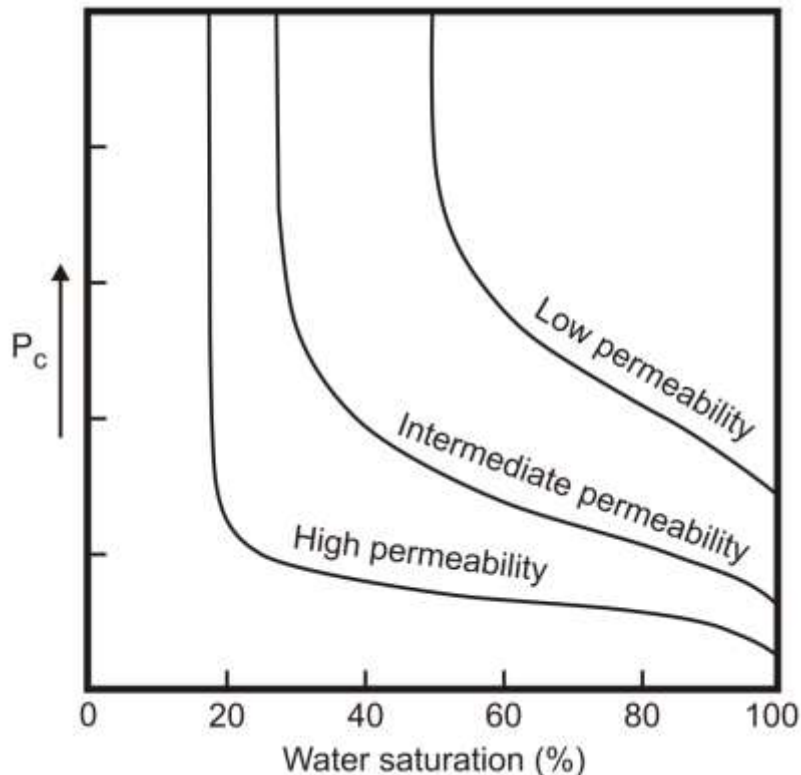
$$J(S_w) = \frac{P_c}{\sigma \cos \theta} \sqrt{\frac{k}{\Phi}}$$

$\sqrt{k/\Phi}$: reservoir quality index

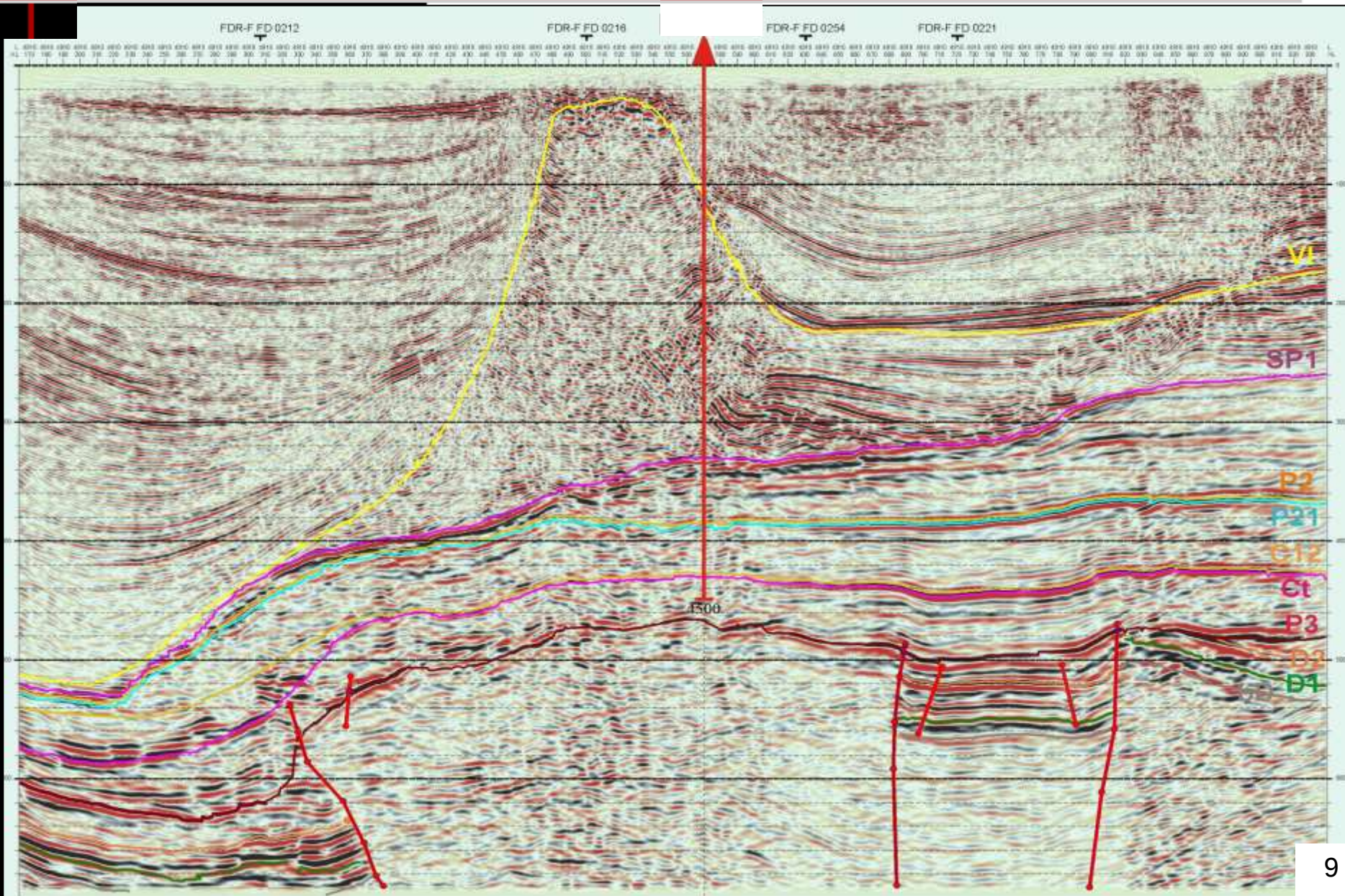
Saturation height functions

Leverett's J-function

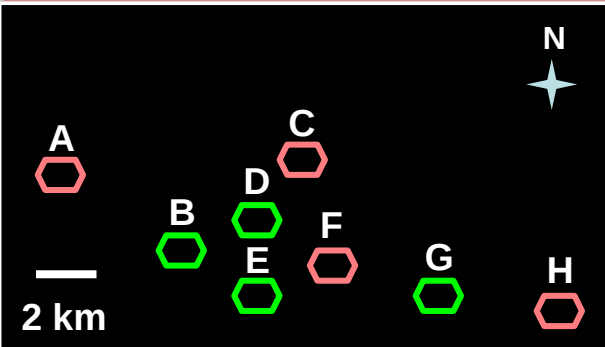
- ❖ Normalizing capillary pressure curves
- ❖ Fit a common function – lambda, hyperbola, exponential



Field application



Field application

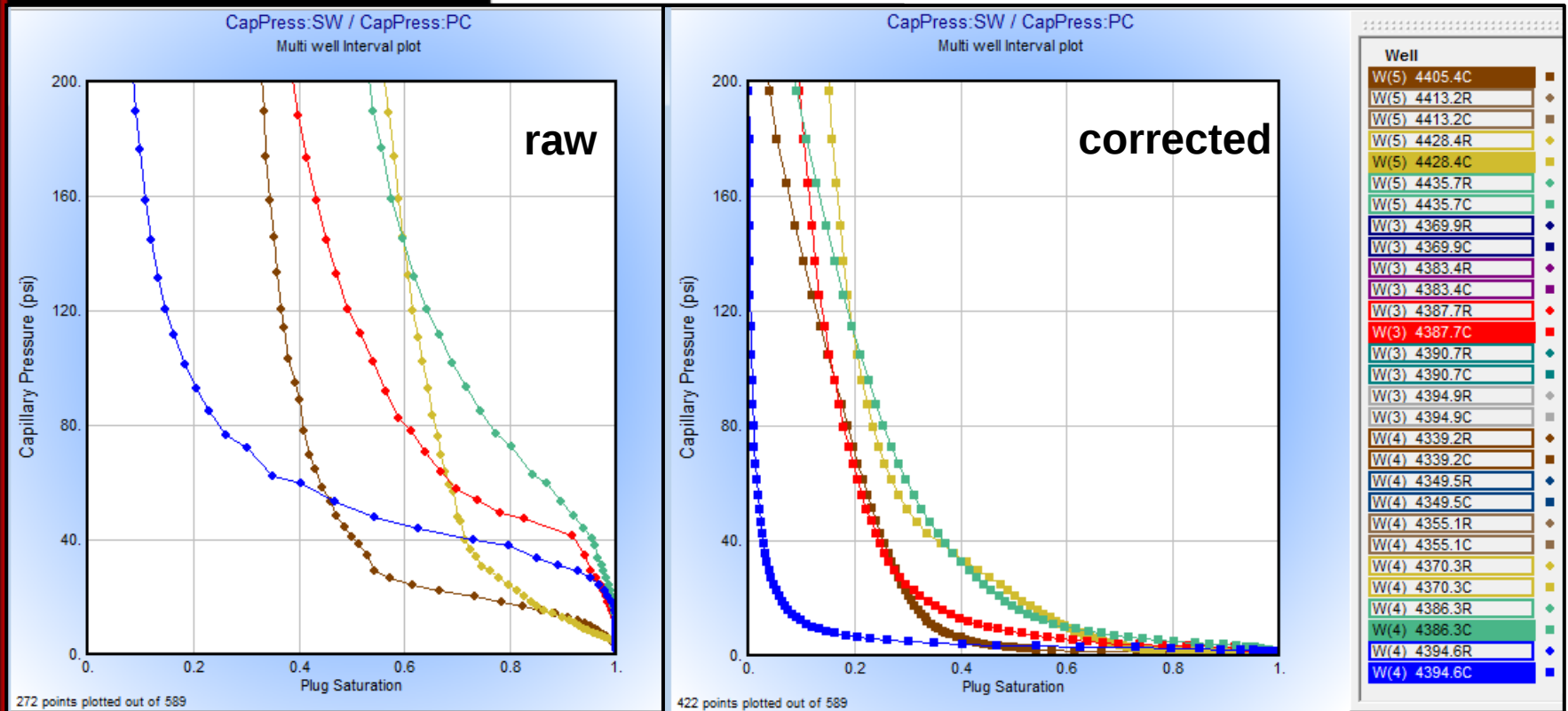


Corrections

Sorting

- ❖ 4 of 8 wells contain core samples
- ❖ Each of them with 10-15 capillary pressure measurement points (altogether 51 plugs)
- ❖ Laboratory conditions: up to 60 000 psi (400 MPa), except well B – only 120 psi
- ❖ Laboratory (mercury-air): $\theta=130^\circ$, $\sigma=485$ dynes/cm
- ❖ Reservoir (HC-water): $\theta=30^\circ$, $\sigma=25$ dynes/cm
- ❖ QC (quality check)
- ❖ Formations
 - Bobrikovsky – 7 plugs
 - Tournaisian – 31 plugs

Field application



Corrections

$$P_{c(res)} = P_{c(lab)} \frac{(\sigma \cos \theta)_{res}}{(\sigma \cos \theta)_{lab}} = \frac{P_{c(lab)}}{14.4}$$

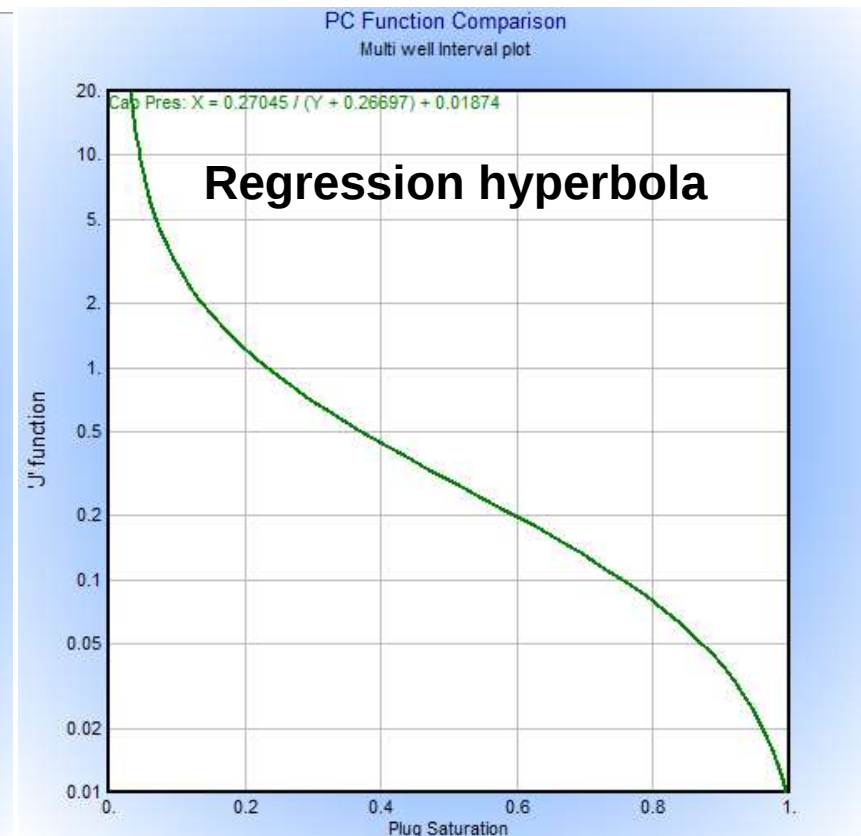
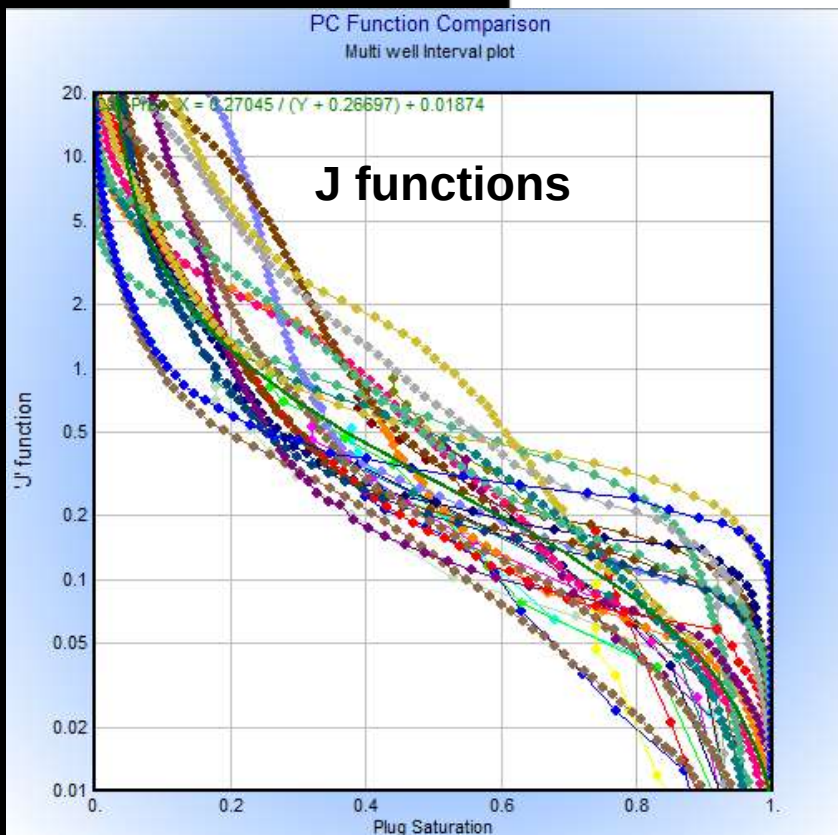
Field application

Capillary pressure functions

$$J(S_w) = \frac{P_c(S_w)}{\sigma \cos \theta} \sqrt{\frac{k}{\Phi}}$$

$$S_w = \frac{a}{J - b} + c$$

R ² 0.9462	
a	0.27045
b	0.26697
c	0.01874



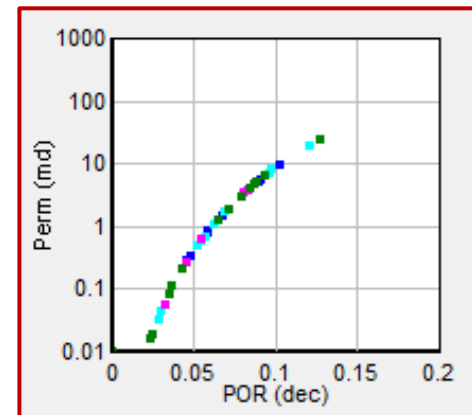
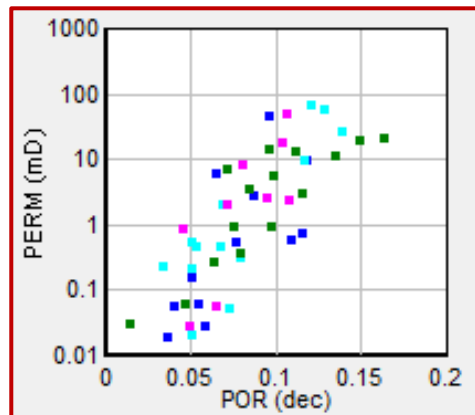
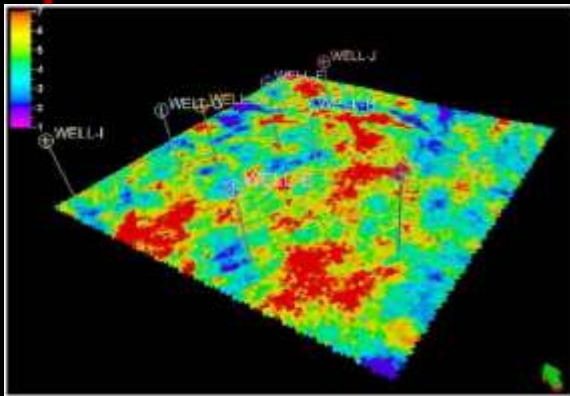
Field application

Extending model

- ❖ Using log derived porosity and permeability curves it is able to compute S_w with this relationship

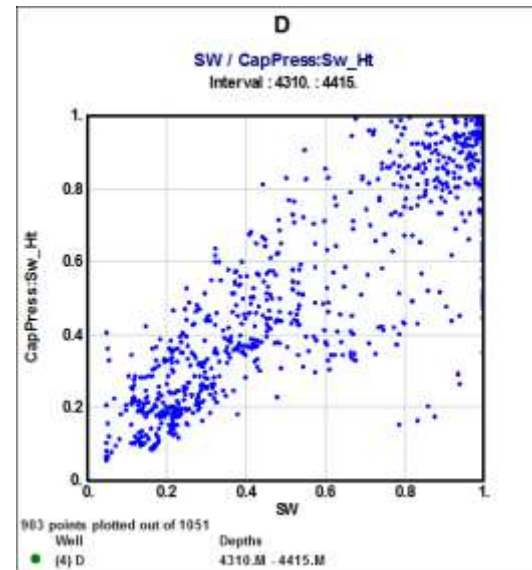
$$J = \frac{\Delta \rho g h}{\sigma \cos \theta} \sqrt{\frac{k}{\Phi}}$$

- ❖ Saturation height models are extendable to the whole petrofacies unit, as long as there is no sealing fault to change fluid flow



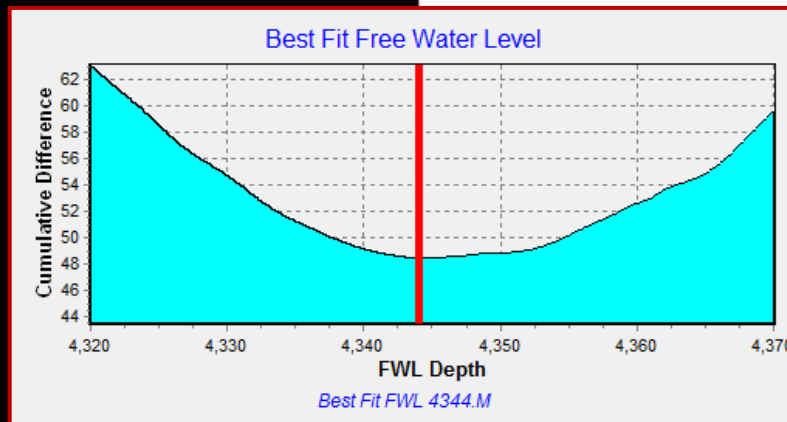
Field application

Extending model



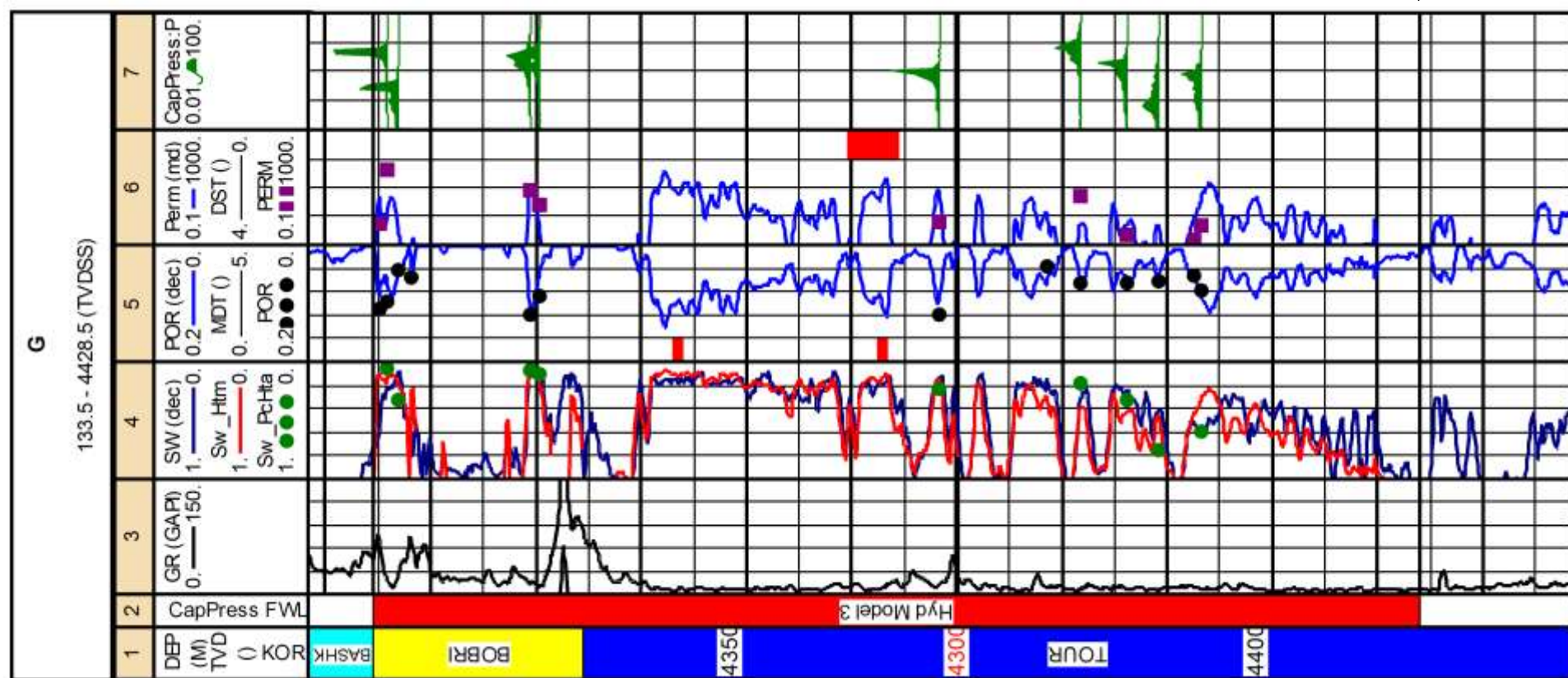
❖ FWL can be calculated from the S_w curves

- Cumulative difference is the sum of differences of the HC volumes for each depth step above the current FWL for all selected wells



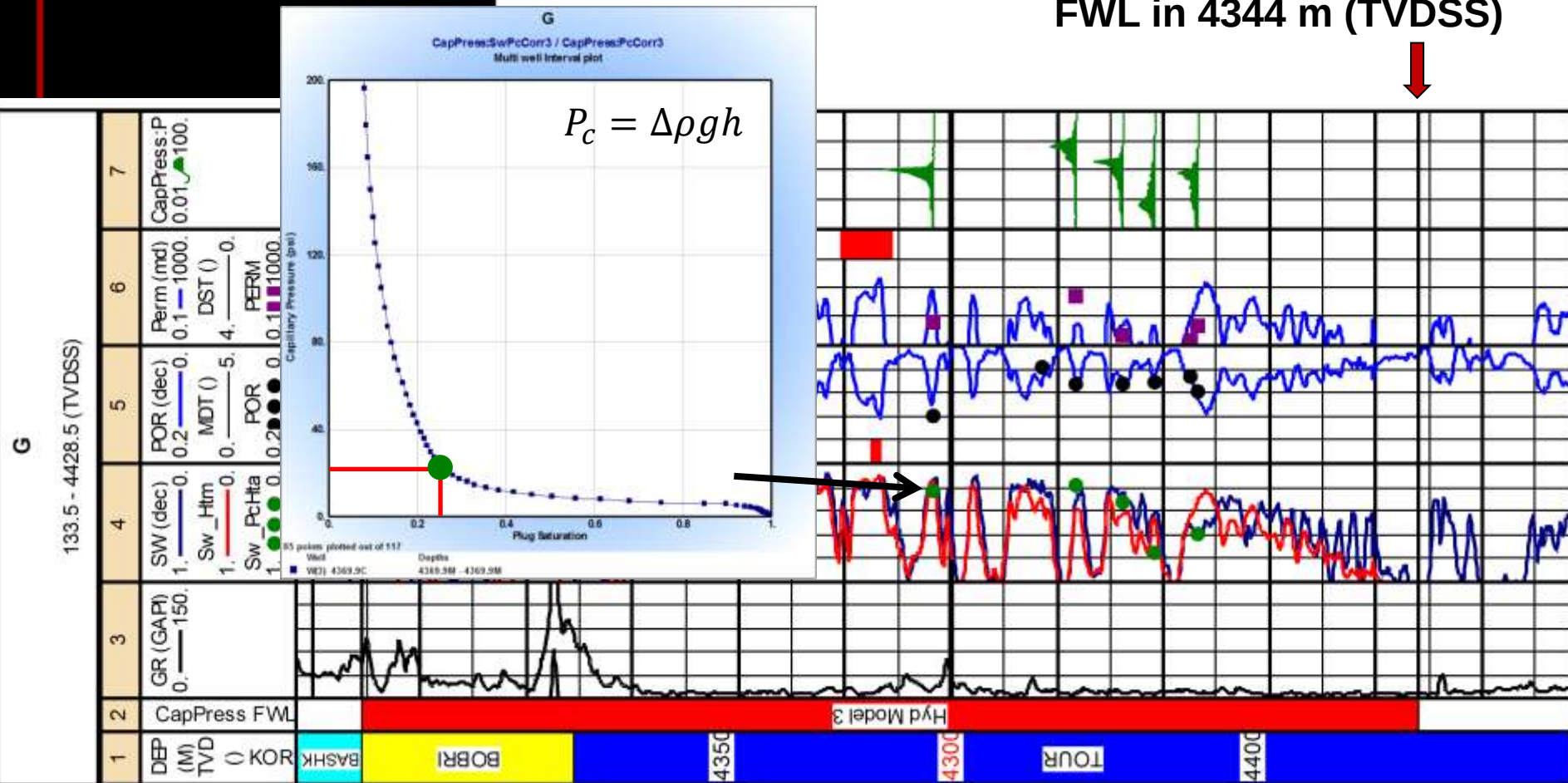
Field application

FWL in 4344 m (TVDSS)

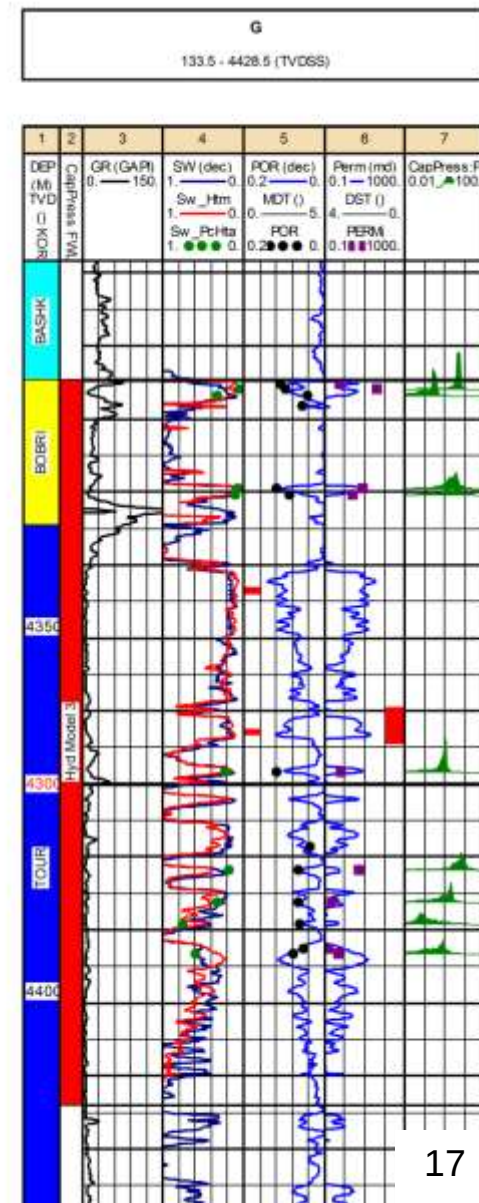
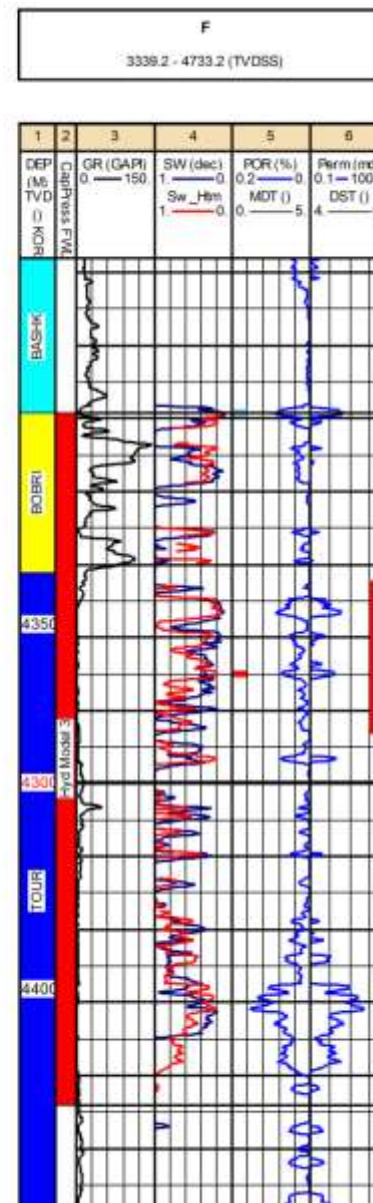
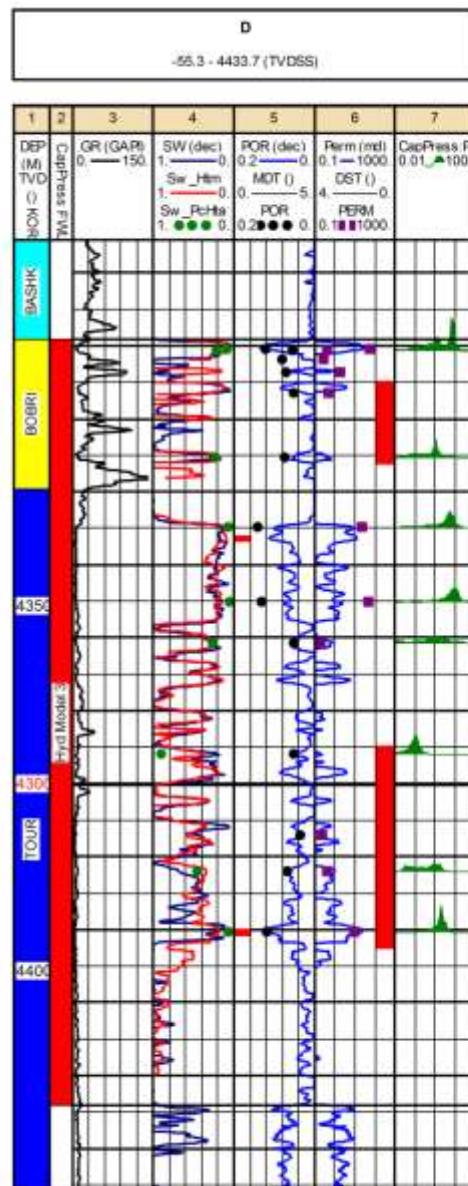
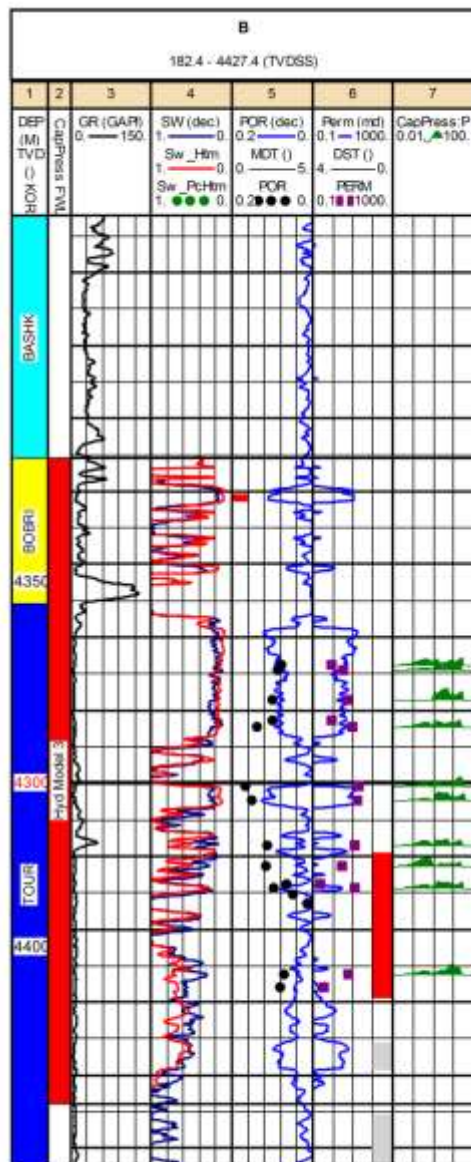


Field application

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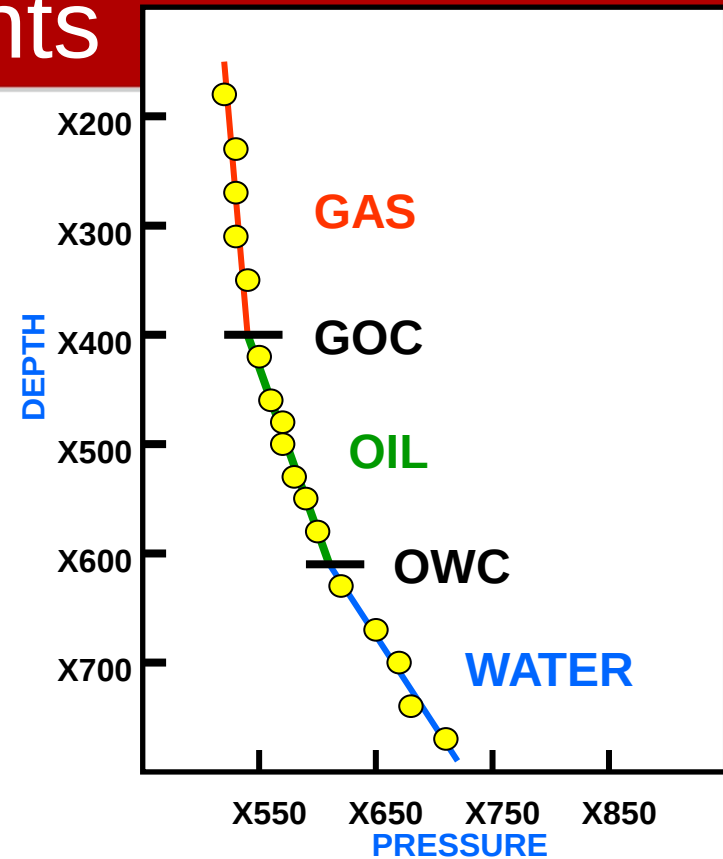


Field application



Pressure measurements

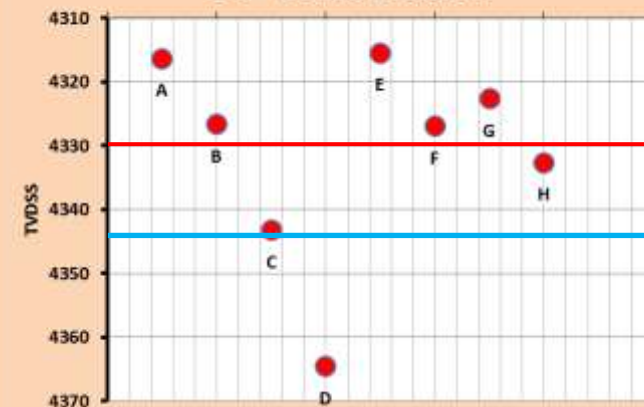
XPT data



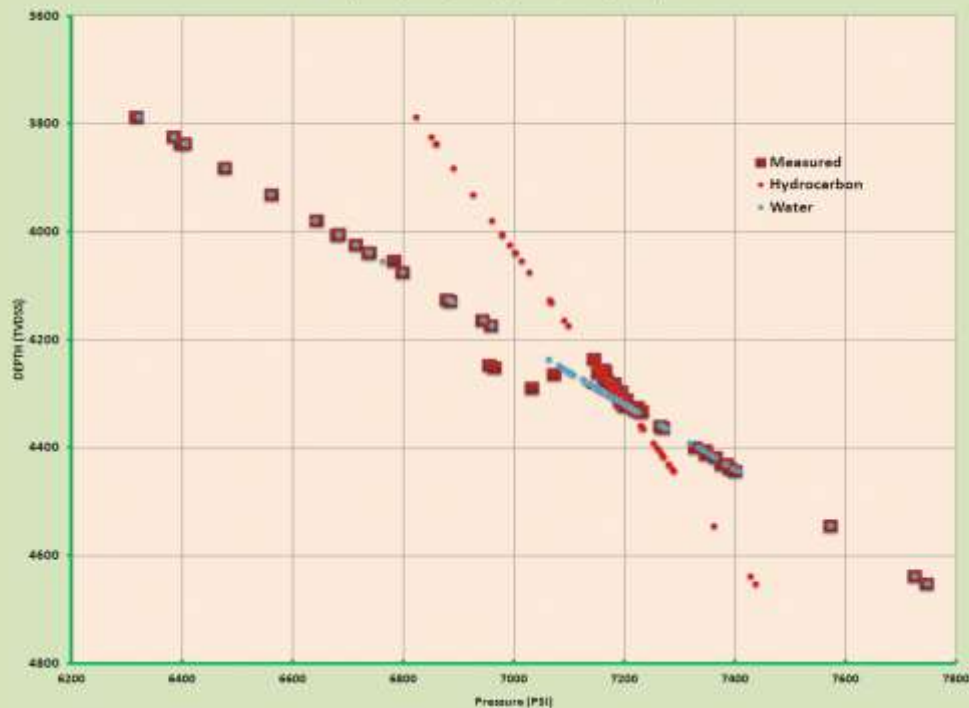
Pressure measurements

- ❖ upper water: 1.1598 g/cc
- ❖ lower water: 1.1587 g/cc

Oil - Water Contact



All Wells (only good data)



Well	Fluid density (g/cc)	OWC (m TVDSS)
A	0.540	4316.34
B	0.649	4326.66
C	0.625	4343.24
D	0.848	4364.57
E	0.665	4315.45
F	0.441	4326.99
G	0.591	4322.67
H	0.682	4332.65
all	0.69	4329.87

Summary

$$J = \frac{\Delta \rho g h}{\sigma \cos \theta} \sqrt{\frac{k}{\Phi}}$$

- ❖ Using capillary pressure curves, saturation relations in the reservoir can be described
- ❖ Free water level is determined by involving log derived curves
- ❖ Oil water contact is the function of local rock properties
- ❖ OWC can be estimated from pressure measurements

Bobrikovsky

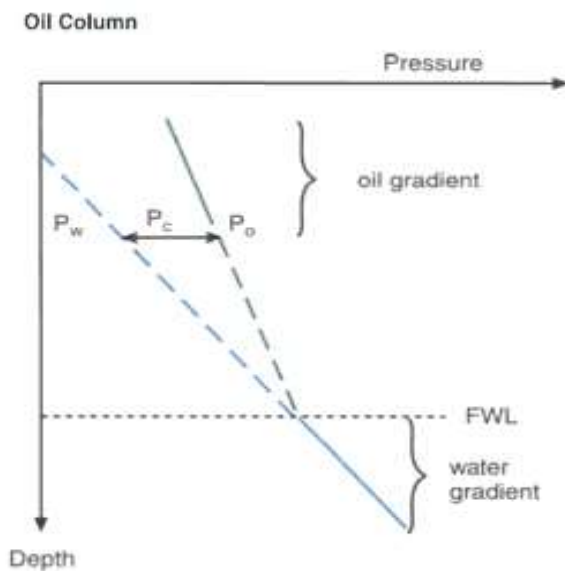
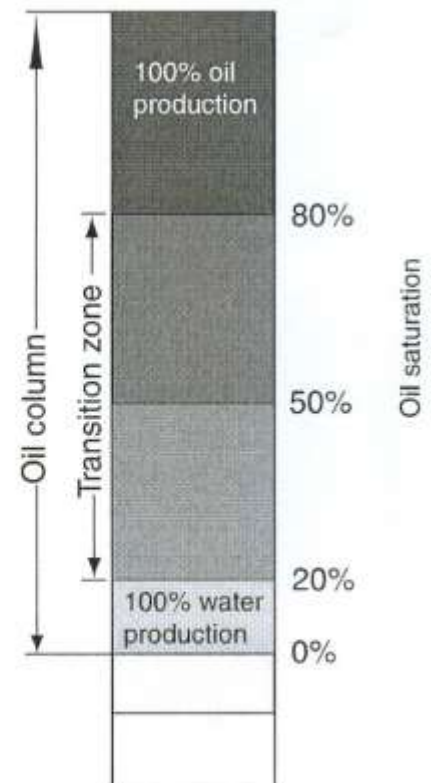
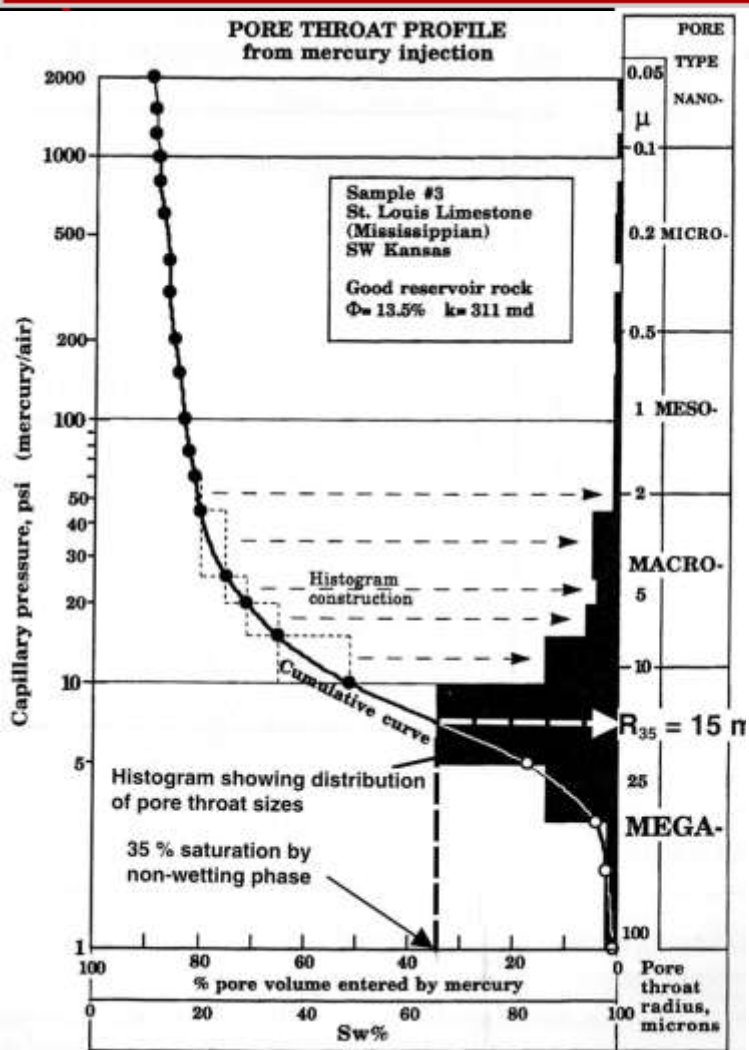
$$S_w = 0.199 \cdot J^{-0.584} + 0.003$$

Tournaisian

$$S_w = \frac{0.27}{J - 0.267} + 0.019$$



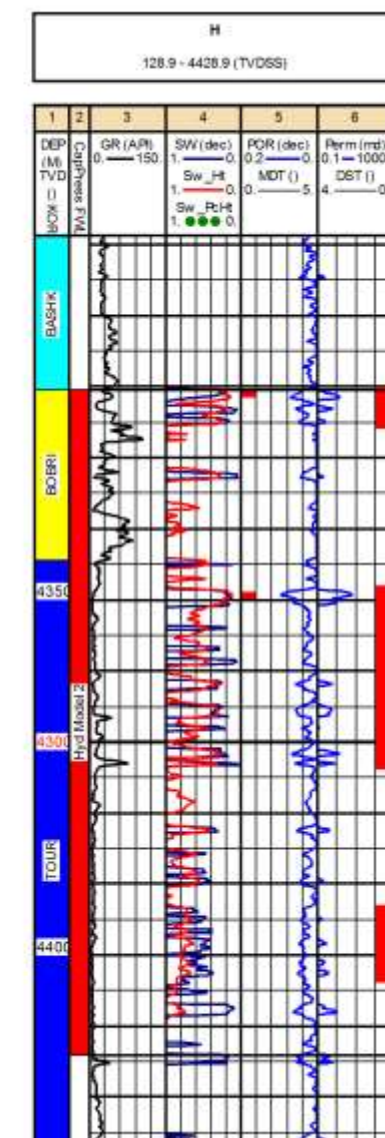
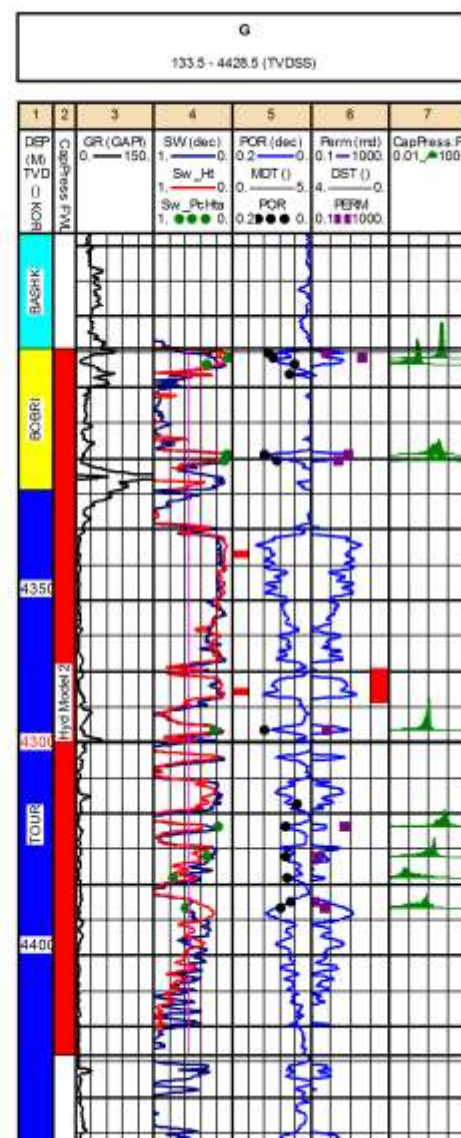
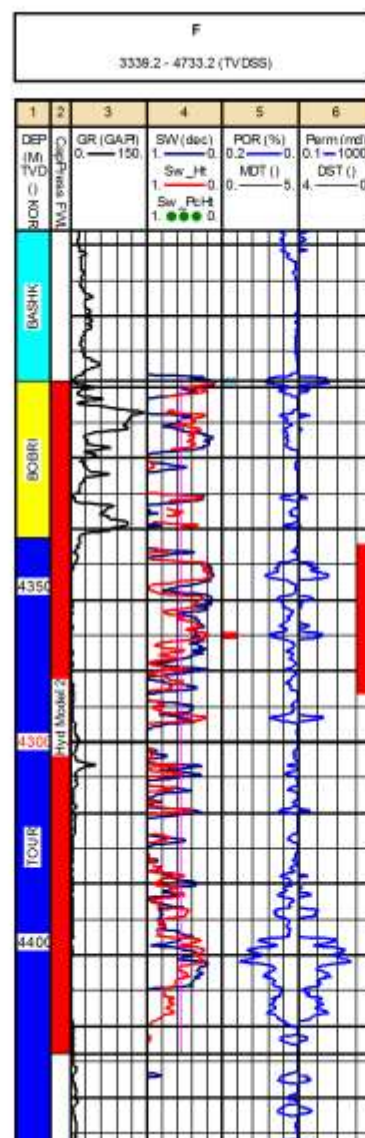
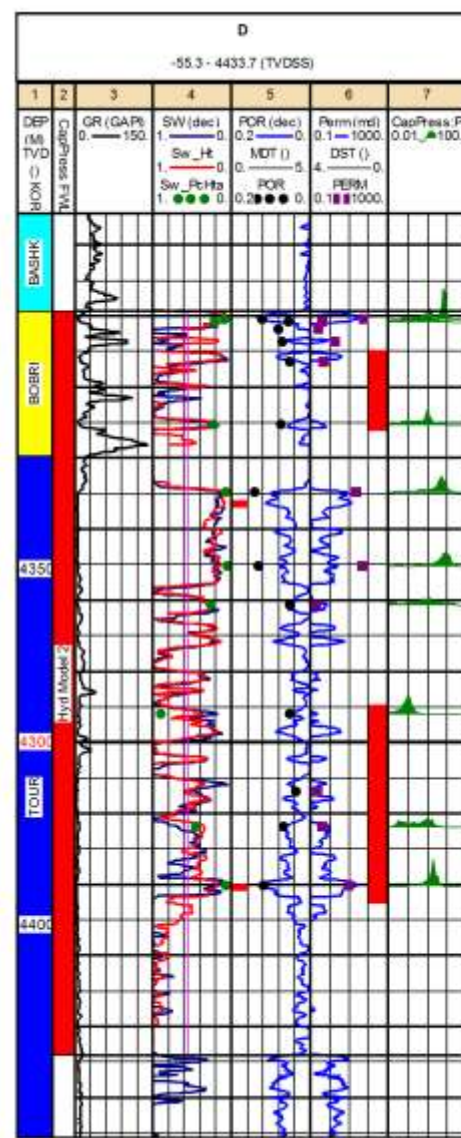
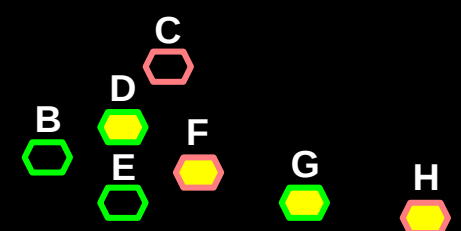
**Thank you
for your attention!**





A

2 km



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2 km

A

B

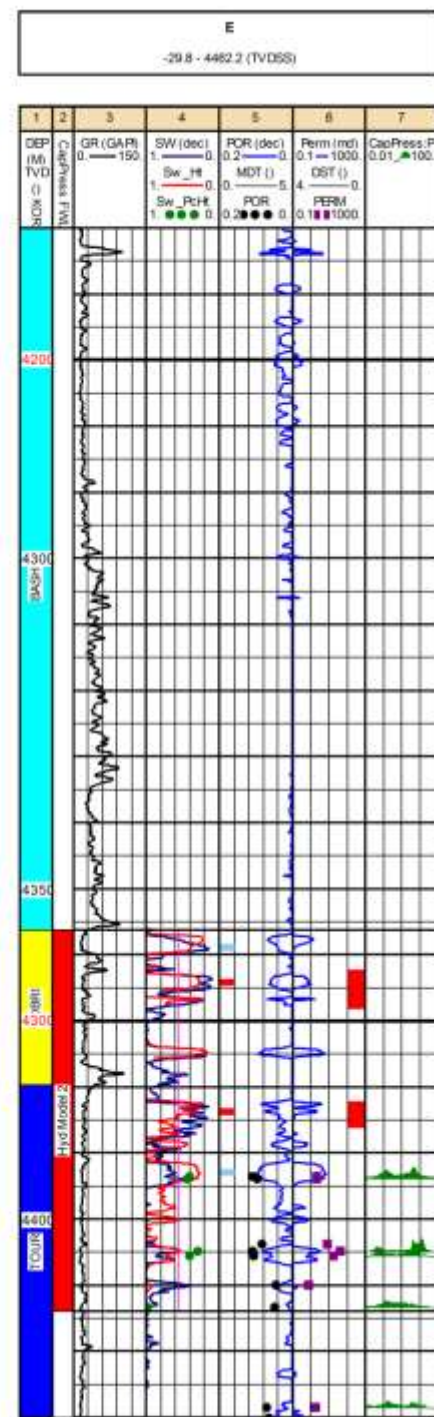
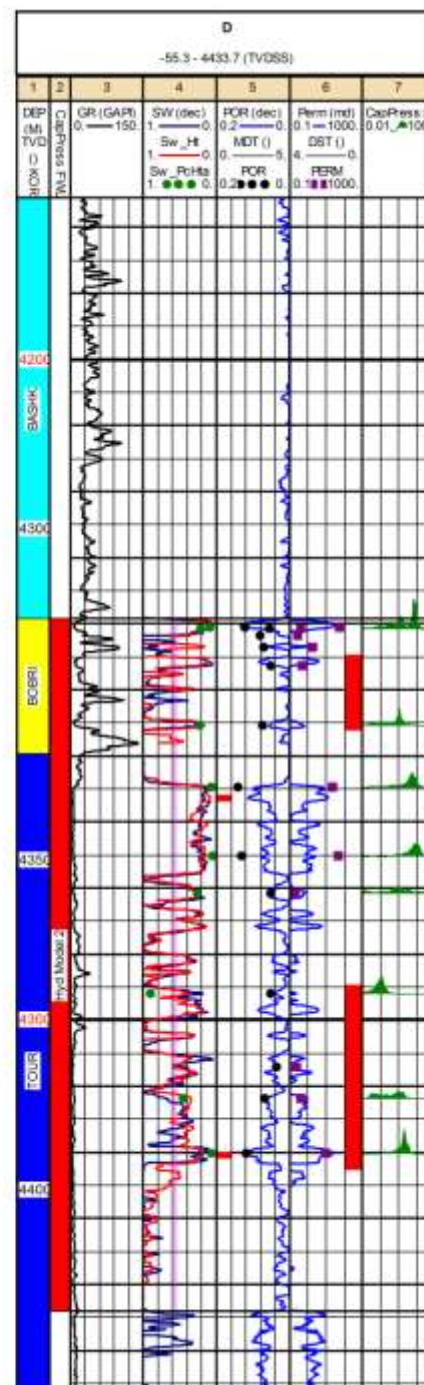
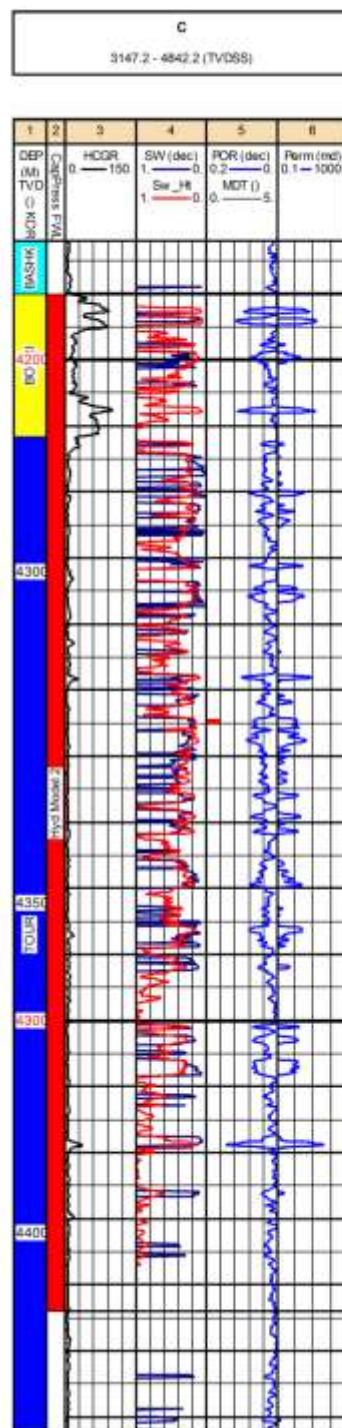
D
E

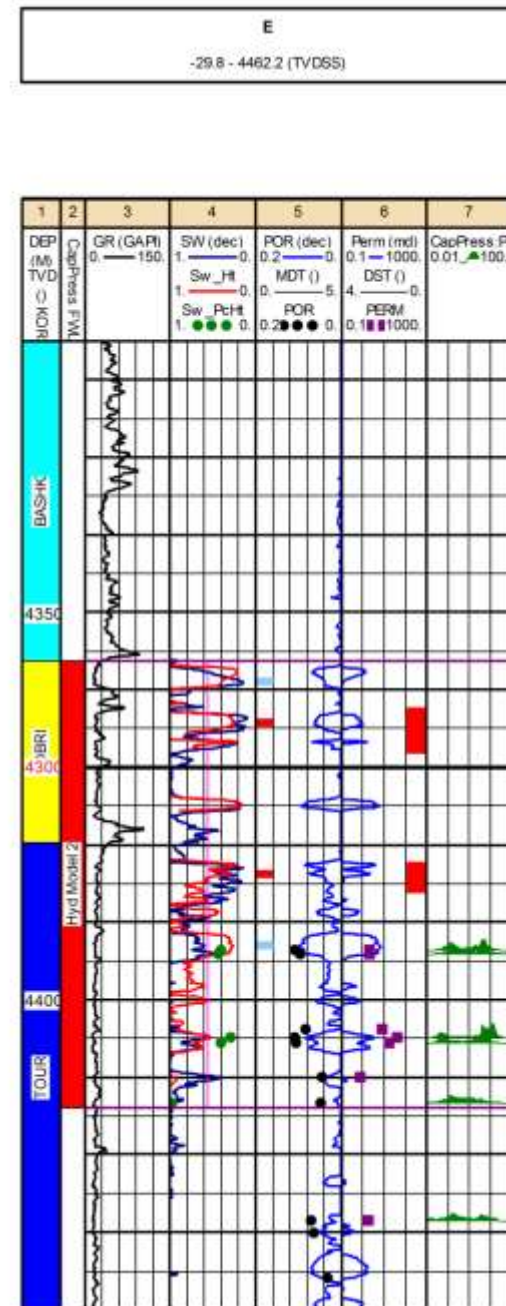
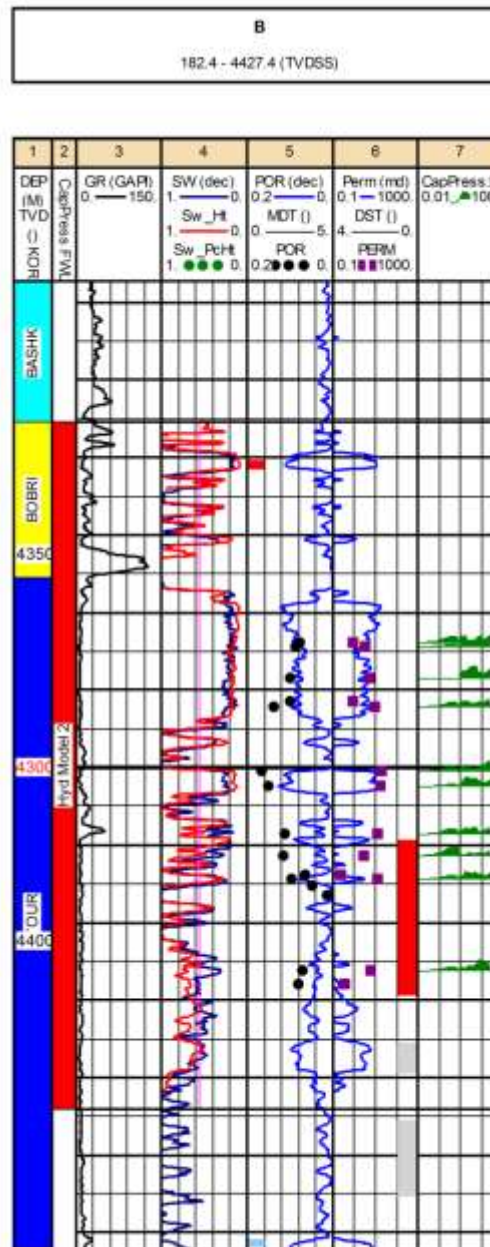
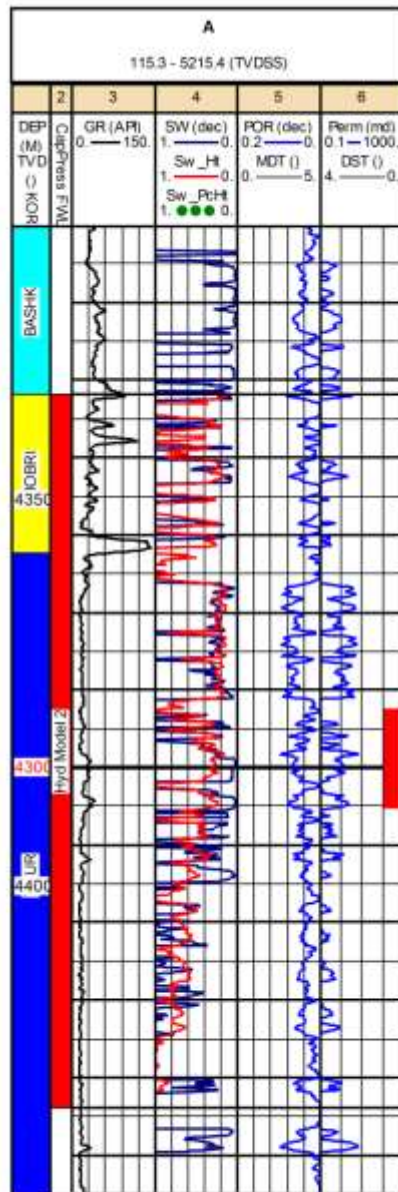
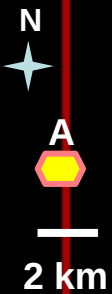
C

F

G

H





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